

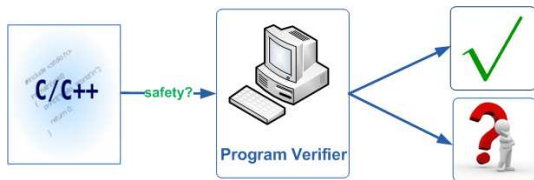
Towards Complete Specifications with an Error Calculus

Le Quang Loc
National University of Singapore

Joint work with Asankhaya Sharma, Florin Craciun and Wei-Ngan Chin

Student Session at POPL2013
January 26, 2013

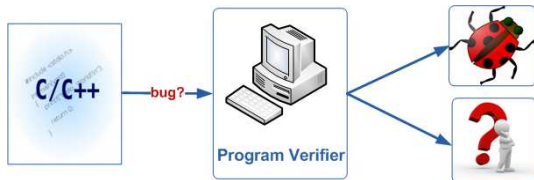
Motivation: Finding Bugs and Proving Safety



Program verification system:

- typically used for proving safety
- may produce false positives

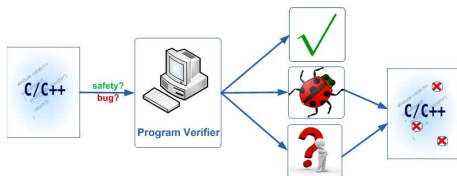
Motivation: Finding Bugs and Proving Safety



Program verification system:

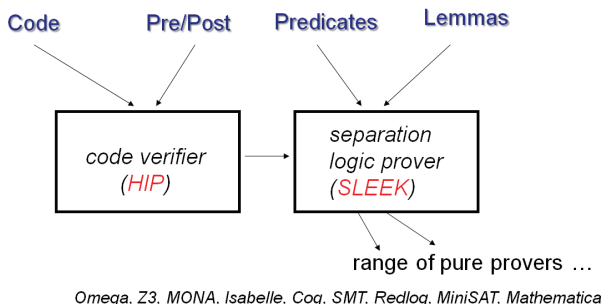
- additionally used for bugs finding.
- may not have a definite answer, in general.

Our goal



In this work, we present

- 1 an automatic *modular* verification system
- 2 for safety proving and bugs finding
- 3 and further assist users through errors localization.
- 4 on **heap-manipulating** programs through separation logic.

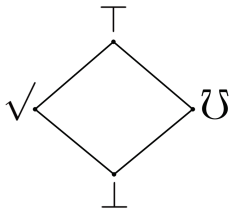


settings:

- symbolic execution
- safety verification: exit points and function call points.
- modularity: function call is compositionally verified through pre/post

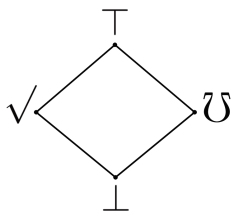
Key idea 1: The Lattice

The status of program states are defined as first class values.



unreachability:	$\neg \text{sat}(\pi_1)$	$x \geq 0 \wedge x < 0 \wedge \text{res} = -1 \vdash_C \text{res} > 0 \rightsquigarrow \perp$
safety:	$\text{valid}(\pi_1 \vdash \pi_2)$	$x \geq 0 \wedge y > 1 \wedge \text{res} = 1 \vdash_C \text{res} > 0 \rightsquigarrow \checkmark$
must error:	$\text{sat}(\pi_1)$ and $\text{valid}(\pi_1 \vdash \neg \pi_2)$	$x \geq 0 \wedge \neg(y > 1) \wedge y < 0 \wedge \text{res} = -1$ $\vdash_C \text{res} > 0 \rightsquigarrow \cup$
may error:	$\text{sat}(\pi_1)$ $\text{sat}(\pi_1 \vdash \pi_2)$ $\text{sat}(\pi_1 \vdash \neg \pi_2)$	$x \geq 0 \wedge \neg(y > 1) \wedge \neg(y < 0) \wedge \text{res} = y$ $\vdash_C \text{res} > 0 \rightsquigarrow \top$

Key idea 1: The Lattice



```
1  int foo(int x, int y)
2  requires x ≥ 0
3  ensures (res > 0) √; {
4    if (x < 0) return -1; /*L1*/
5    else {
6      if (y > 1) return 1; /*L2*/
7      else if (y < 0) return -1; /*L3*/
8      else return y; /*L4*/
9    }
10 }
```

Key idea 2: More Complete Specification

data structure:

```
data node {  
    int val;  node next;  
}
```

- Traditional Approach:

```
int get_data(node x)  
    requires  $x \mapsto \text{node}\langle d, p \rangle$  ensures (res=d);  
{  
    return x.val;  
}
```

- Our Proposal:

```
int get_data(node x)  
    case{  $x \neq \text{null} \rightarrow$   
        requires  $x \mapsto \text{node}\langle d, p \rangle$  ensures (res=d) ✓;  
         $x = \text{null} \rightarrow$  ensures (true) ⚡; }  
}
```


Key idea 3: Enhance Separation Entailment Procedure

$$\Delta_1 \vdash \Delta_2 * \Delta_R$$

$$\Delta_1 \vdash \Delta_2 \rightsquigarrow (\Delta_R, \tau)$$

Example:

$$x \mapsto \text{node}(-, q) * q \mapsto \text{node}(-, \text{null}) \vdash x \mapsto \text{node}(-, \text{null})$$

- Old Entailment Procedure:

$$(q \neq \text{null} \wedge x \neq \text{null} \vdash q = \text{null} : \text{fails})$$

- Enhanced Entailment Procedure:

1 $q \neq \text{null} \wedge x \neq \text{null} \vdash q = \text{null} : \tau_p = \perp$

2 $\text{SAT}(x \mapsto \text{node}(-, q) * q \mapsto \text{node}(-, \text{null}))$

$$x \mapsto \text{node}(-, q) * q \mapsto \text{node}(-, \text{null}) \vdash x \mapsto \text{node}(-, \text{null}) \rightsquigarrow (\dots, \perp)$$

Key idea 4: The Calculus with Operators

\sqcap	\top	\perp	\checkmark	\perp	\circ	\top	\perp	\checkmark	\perp	\cup	\top	\perp	\checkmark	\perp
\top	\top	\perp	\checkmark	\perp	\top	\top	\perp	\top	\perp	\top	\top	\checkmark	\perp	\perp
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\perp	\perp	\perp	\perp	\perp	\perp	\perp	\perp	\perp	\perp	\perp	\perp	\perp	\perp	\perp

Motivation of the operators on error statuses:

- more complex entailment:
 - 1 $\Delta_1 \vee \Delta_2 \vdash \Delta_3 \vee \Delta_4$
 - 2 proof search with lemmas
- localize the "slice" caused the must/may errors:

$$x > 3 \wedge y > 7 \vdash x < 0 \wedge y > 3 \rightsquigarrow \perp$$

- verification with case specifications

- Technical details and Experiments can be found in the technical report at <http://www.comp.nus.edu.sg/~locle/>
- Further Study
 - case in postconditions
 - CEGAR for separation logic
 - Diagnosing Abstraction Failure for Separation Logic-based Analyses (Josh Berdine et.al. - CAV2012)
 - Abstraction Refinement for Separation Logic Program Analyses (Stephen Magill et. al. - online access)

Thank you!